

Daily Quiz

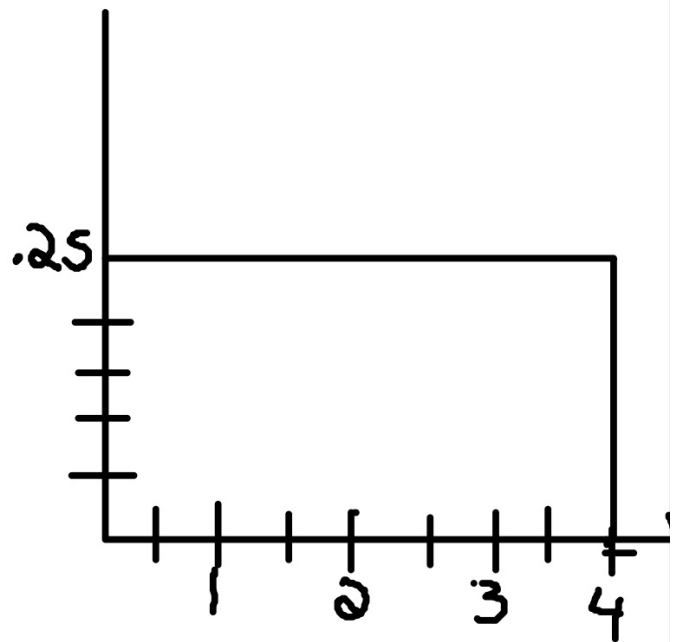
1) $P(x > 3)$

2) $P(x < 1.5)$

3) $P(1 < x < 3)$

4) $P(2 < x < 4.5)$

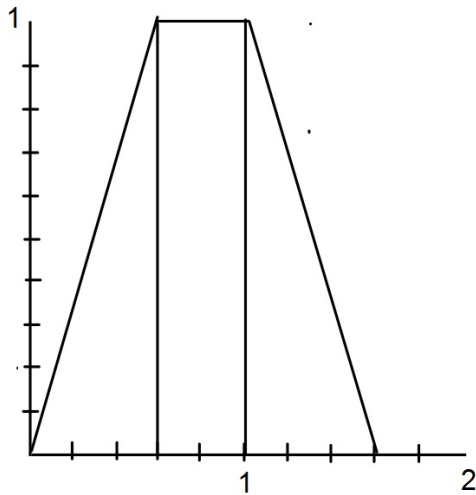
5) $P(1.5 < x < 3)$



Objective - SWBAT calculate probabilities from a normal curve using the 68-95-99.7 Rule

Density Curves

- Area must equal one
- Area equals probability



Find the probability for each of the following

$$P(x < .3)$$

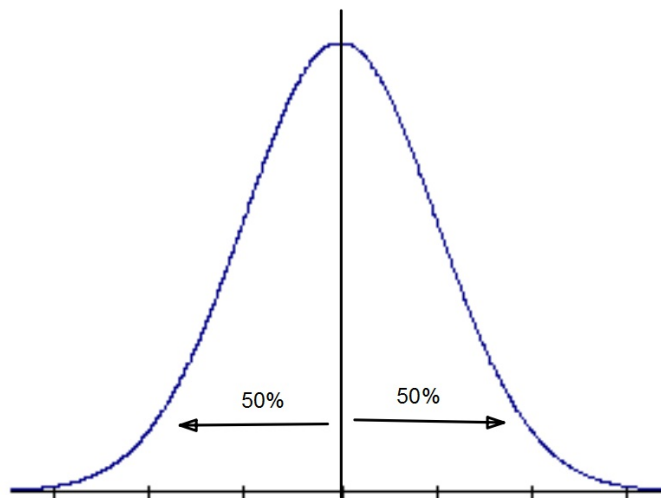
$$P(x > 1)$$

$$P(.3 < x < .8)$$

$$P(.3 < x < 1)$$

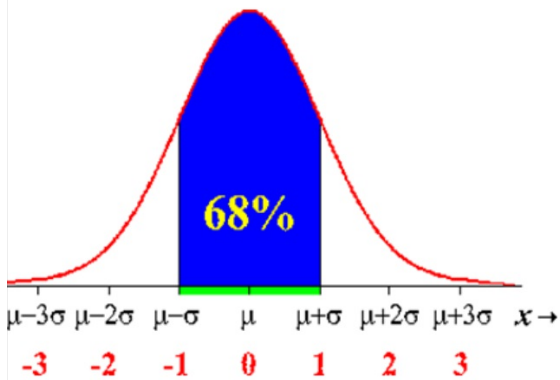
Normal Curve

A symmetrical curve with an area of one centered around the mean of a set of data. Remember area equals probability. We count out 3 standard deviations on either side of the mean to solve most problems.

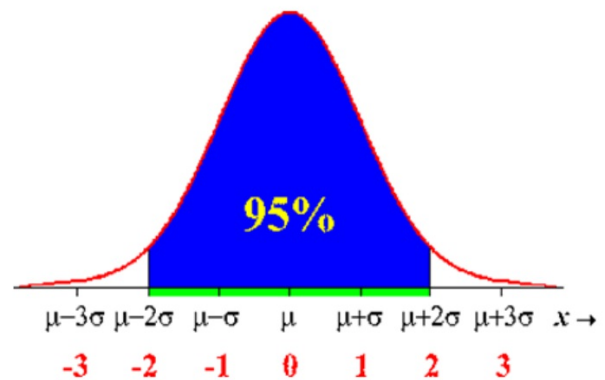


68-95-99.7 Rule

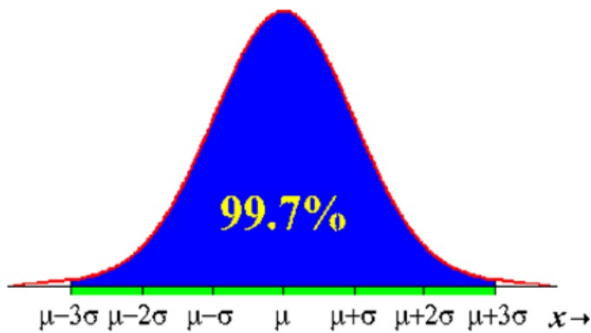
68% - 1 Standard deviation on either side of the mean



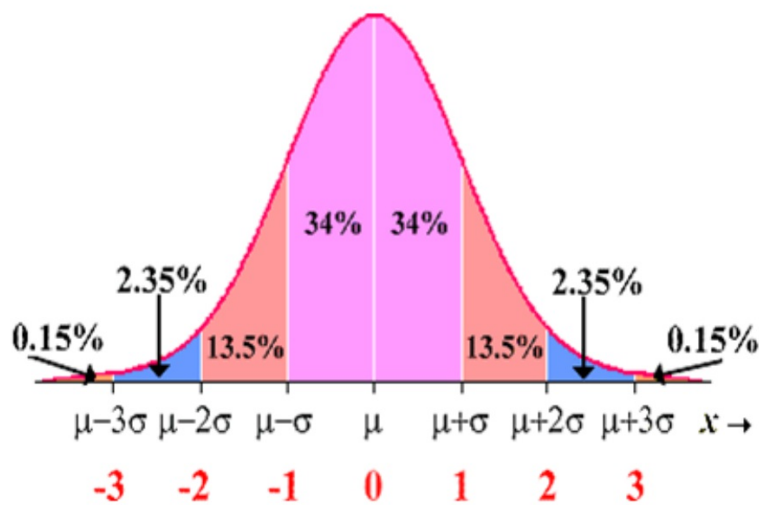
95% - 2 standard deviation on either side of the mean



99.7% - 3 standard deviation on either side of the mean



68-95-99.7 Rule



Since the area of the entire curve must equal one and the mean is in the middle each section can be divided into smaller pieces.

$$68\% / 2 = 34\%$$

$$(95\% - 68\%) / 2 = 13.5\%$$

$$(99.7\% - 95\%) / 2 = 2.35\%$$

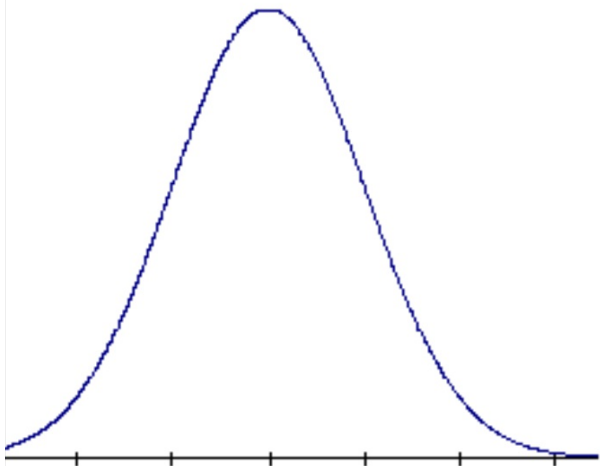
$$(100\% - 99.7\%) / 2 = 0.15\%$$

68-95-99.7 Rule

Using rule to find probability:

Step 1 - Set-up picture using mean and standard deviation.

- Center is mean
- Add the standard deviation to the mean to mark to the right
- Subtract the standard deviation to the mean to mark to the left

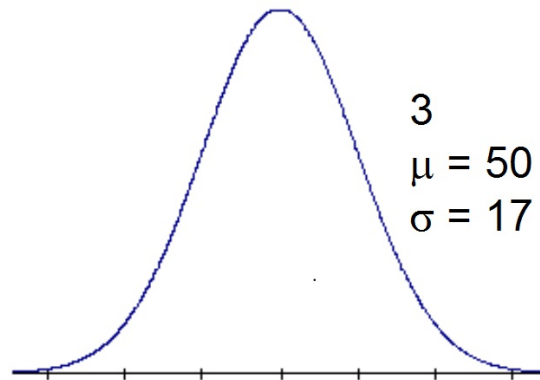
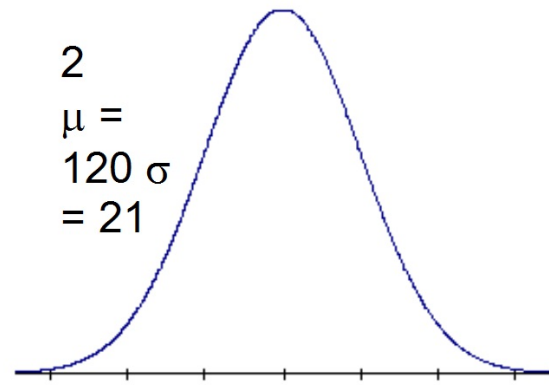
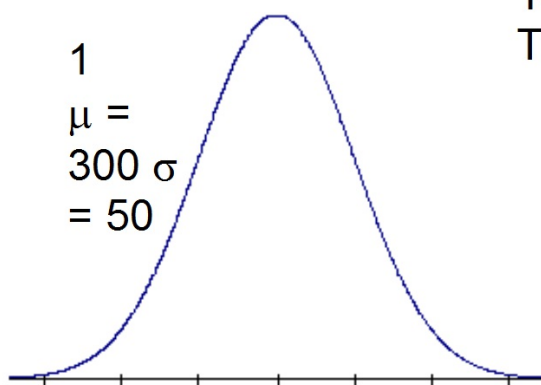


Example

$$\mu = 100$$

$$\sigma = 15$$

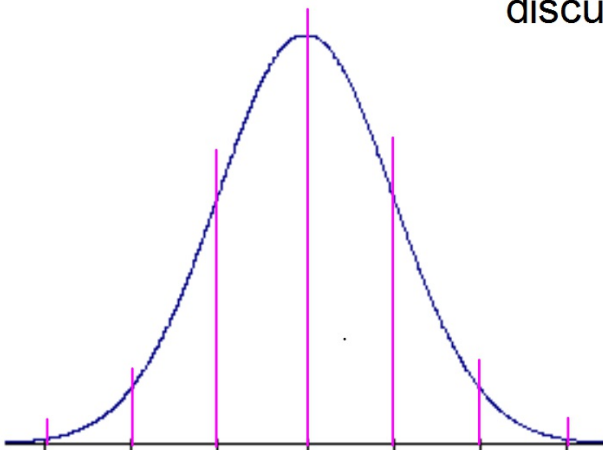
You
Try





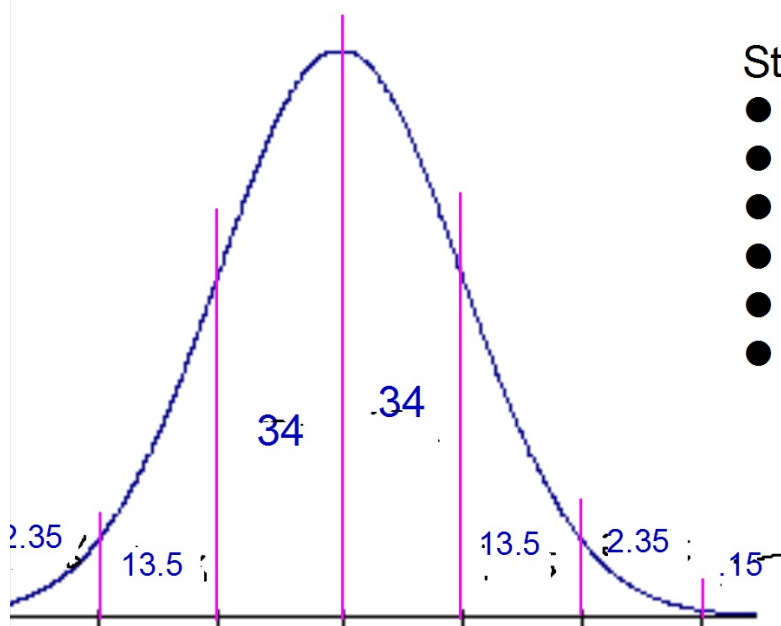
Step 2 Fill in the probabilities

- Draw vertical lines from each #
- Fill in the probabilities as we discussed before.



Example

$$\begin{aligned}\mu &= 600 \\ \sigma &= 65\end{aligned}$$



Step 3 Calculate probabilities

- Area equals probability
- Area under curve equals 1
- Add pieces to find probability
- Less than count left
- Greater than count Right
- In Between count between

Example

$$\mu = 150$$

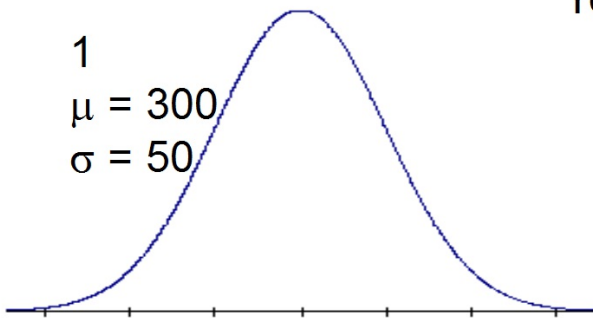
$$\sigma = 25$$

You Try

1

$$\mu = 300$$

$$\sigma = 50$$



$$P(250 < x < 350)$$

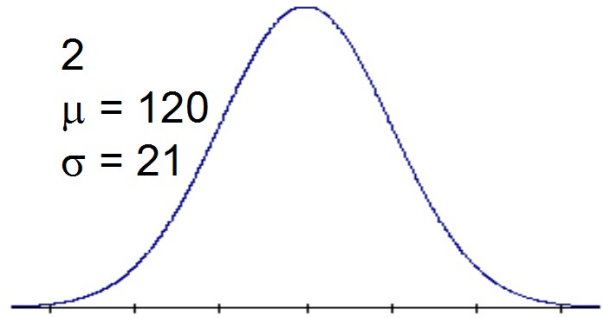
$$P(x < 200)$$

$$P(x > 350)$$

2

$$\mu = 120$$

$$\sigma = 21$$



$$P(78 < x < 162)$$

$$P(x < 141)$$

$$P(x > 78)$$

